







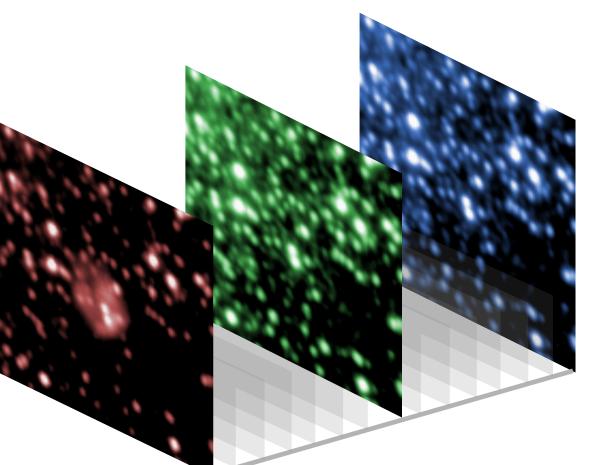
Handling Covariances in the MUSE Pipeline

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Introduction

- Resampling of MUSE/BlueMUSE data introduces covariances.
- The size of MUSE datacubes with $N \simeq 300 \times 300 \times 3600$ pixels makes handling of the full covariance matrix infeasible.





Covariance Table

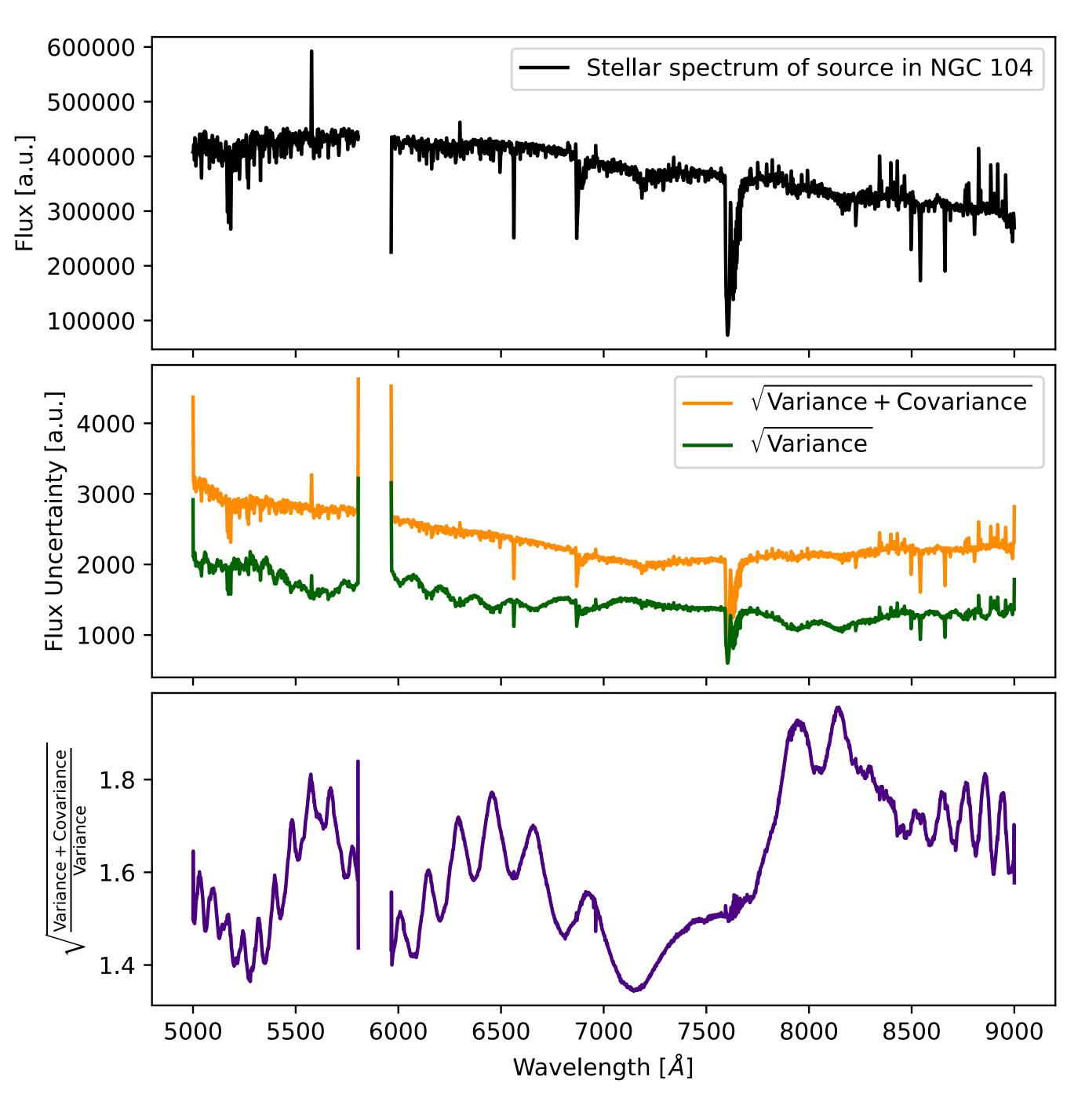
- Resampling usually only considers nearest neighbors, so most entries in the covariance matrix are zero.
- We implement the approach presented by Law et al. (2016):

$$\operatorname{Cov}_{ij} = \sum_{n=m} w_{i,m} \cdot \sigma_{n,m} \cdot w_{j,n}$$

w: resampling weight σ : voxel variance

• The resulting covariance table contains $\sim 27 \times N$ entries.

Effect on Flux Uncertainties



- Extract spectra from a MUSE datacube of globular cluster NGC 104
- Derive flux uncertainties with and without covariances:

$$\sigma_{\mathrm{flux}} = \sqrt{\sum_{i} \mathrm{Var}_i + 2 \cdot \sum_{i} \sum_{j < i} \mathrm{Cov}_{ij}}$$

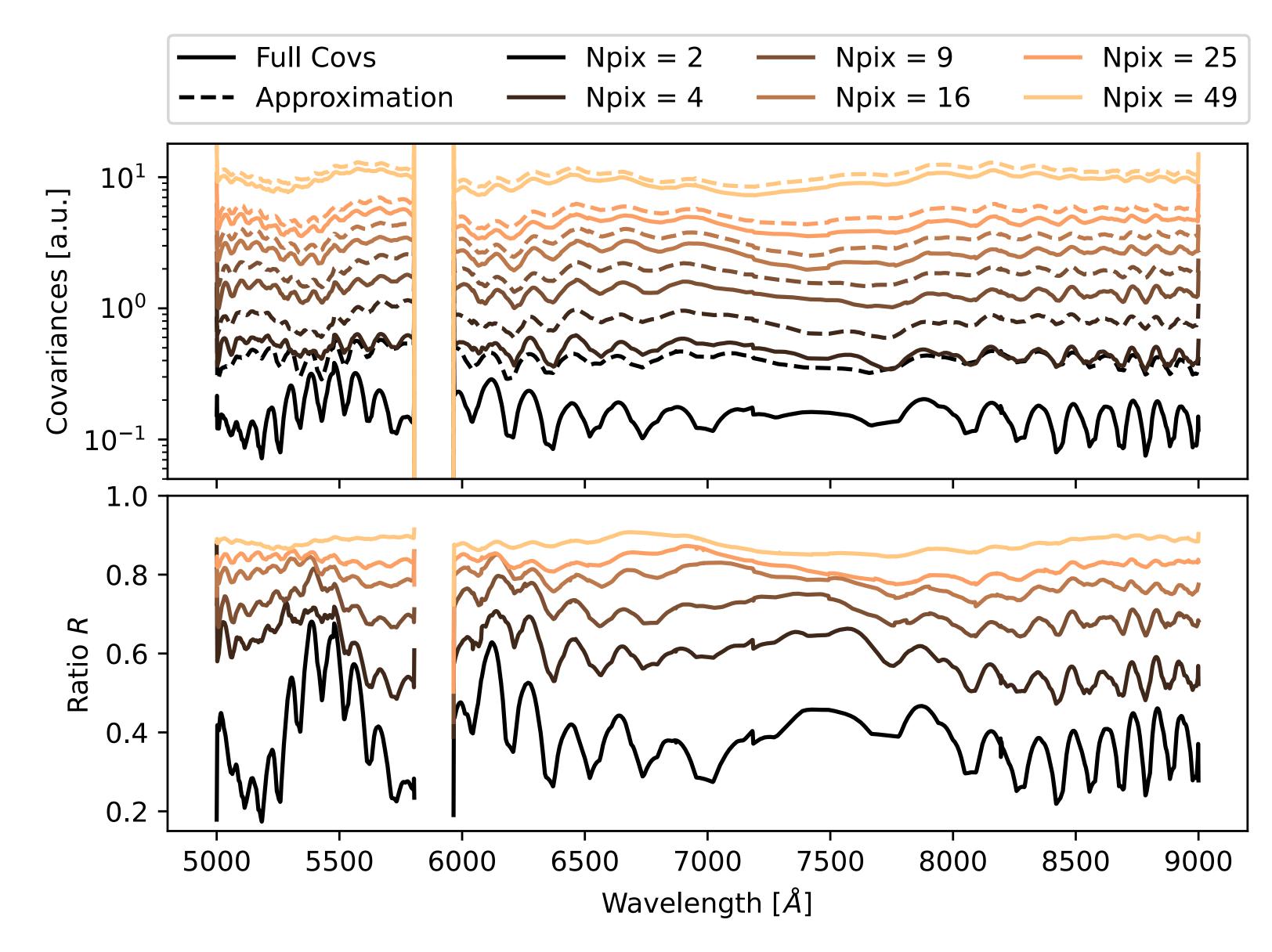
- Uncertainties are underestimated by $\geq 40\%$ without covariances.
- Contribution of covariances varies with wavelength and position.

Approximation of Flux Uncertainties

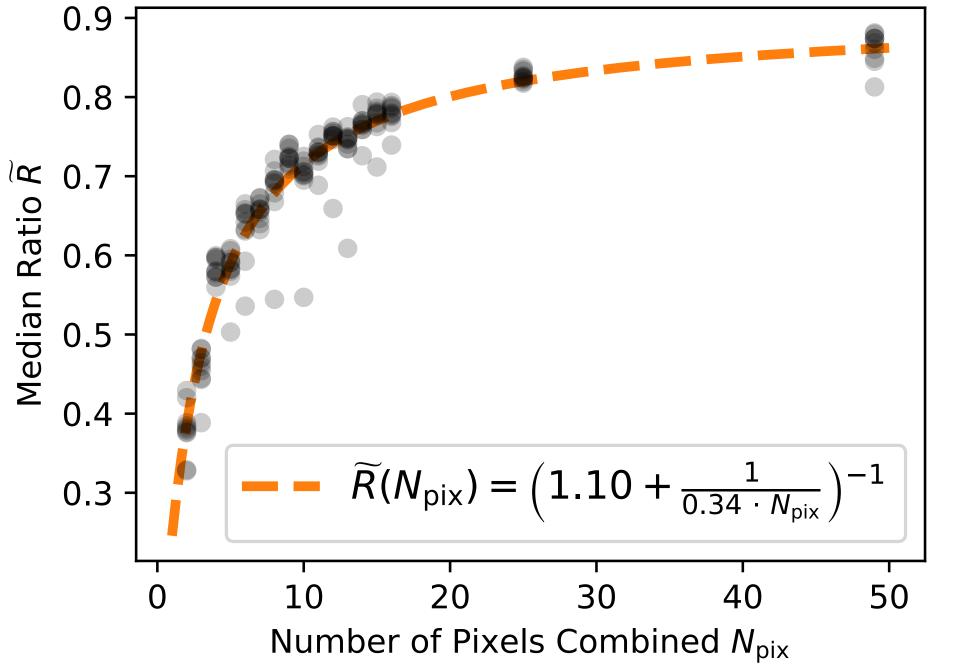
• Deriving uncertainties based on the covariance table is computationally complex due to its size, so we try to approximate uncertainties for each voxel:

$$\sigma_{\mathrm{flux,i}} = \sqrt{\mathrm{Var}_i + 2 \cdot \sum_{j < i} \mathrm{Cov}_{ij}}$$

• The resulting uncertainty cube can replace the existing variance cube, which makes handling this information in post-data reduction trivial.



- · Create datacube with noise and extract sources of different size.
- → The approximation apporach overestimates the covariance contribution.



- The ratio scales with the number of spaxels included in the extraction.
- When all voxels in a cube are included, the ratio is one.
- → Rescale the approximated uncertainties.

Conclusion & Outlook

- We are able to derive exact covariances for MUSE datacubes during resampling.
- Covariances contribute significantly to the flux uncertainties.
- To make covariances easier to handle in post-data reduction, we approximate the flux uncertainties.
- → Apply this approach to MUSE science data to test this approximation.
- → Analyze the effect of covariances on the extraction and fits of MUSE spectra.