Universal Bayesian Imaging

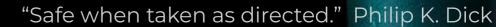
Vincent Eberle, <u>Torsten Enßlin</u>, Matteo Guardiani, Margret Westerkamp



Kit







Restores Reality

Universal
Bayesian
Imaging
Kit

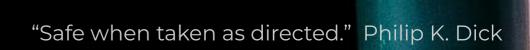


Vincent Eberle, <u>Torsten Enßlin</u>, Matteo Guardiani, Margret Westerkamp

4







Restores Reality



U B I

1996

"I came over to Ubik after trying weak, out-of-date reality supports. My pots and pans were turning into heaps of rust. The floors of my conapt were sagging." But now Tuse economical new powerful today's Ubik. and with miraculous results. Entirely harmless if used as directed!

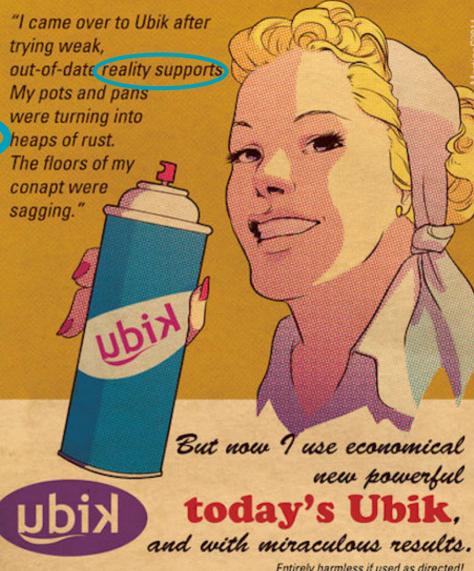
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reality support heaps of rust.



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1969

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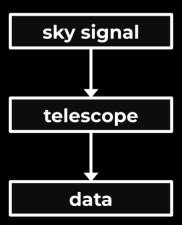
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Universal Bayesian Imaging Kit

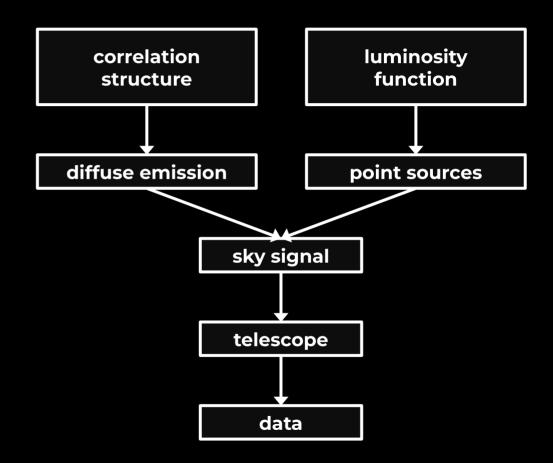


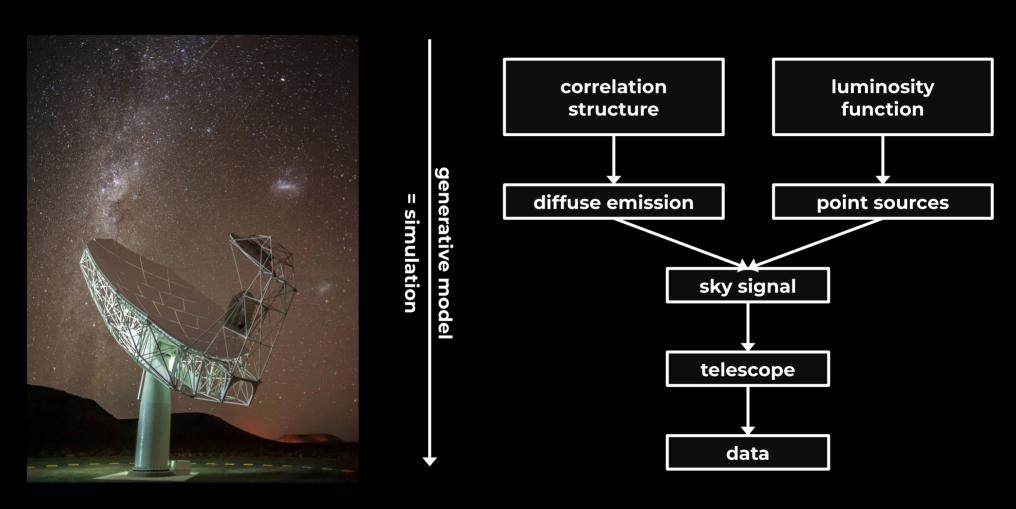


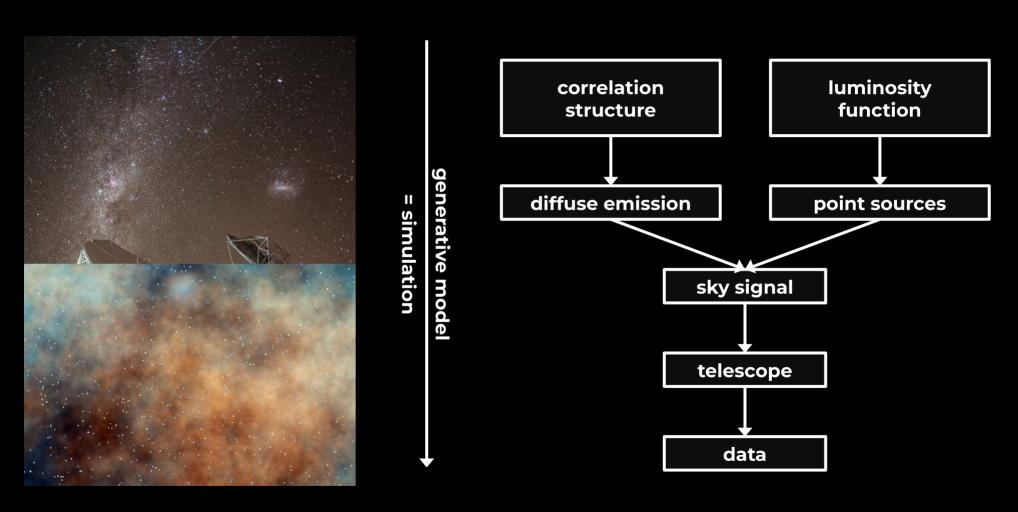


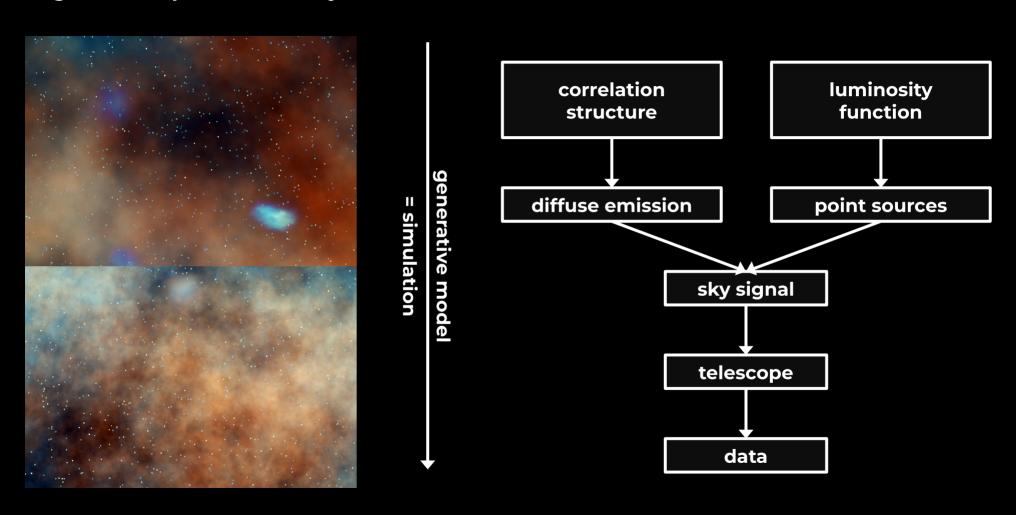


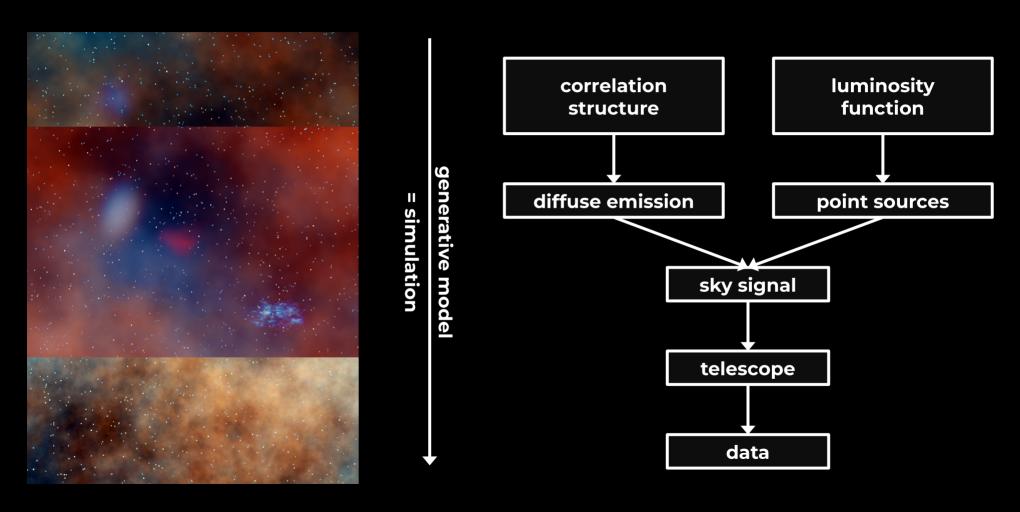


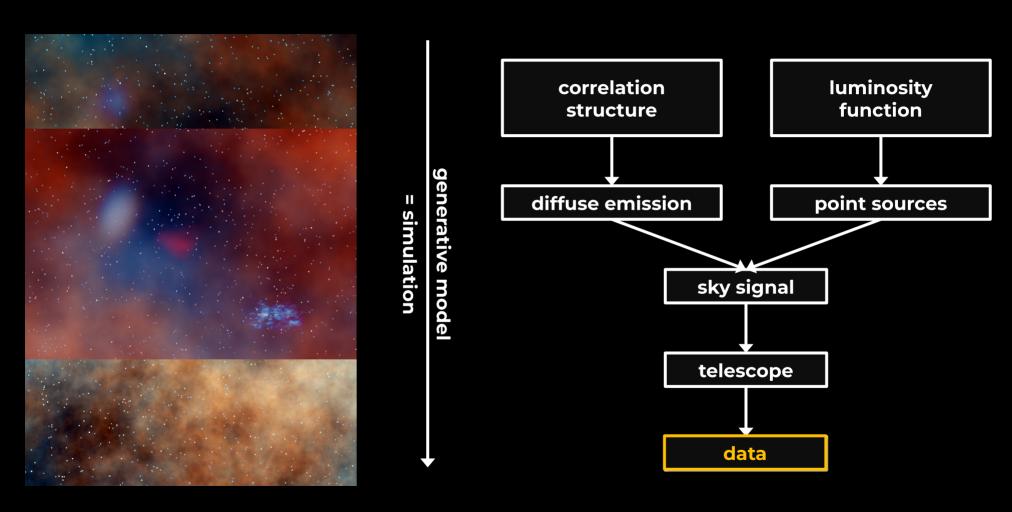


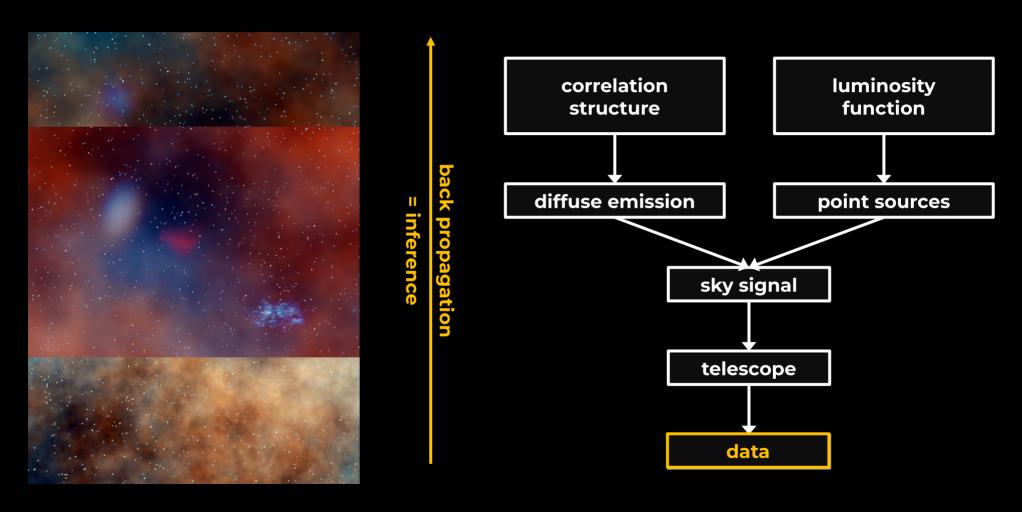


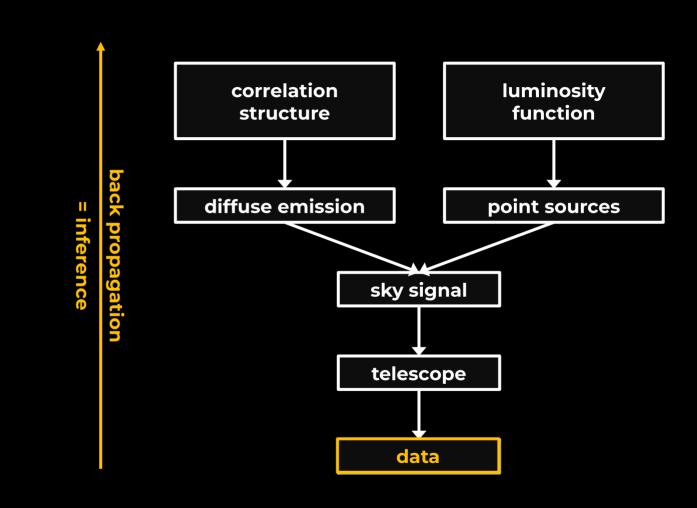








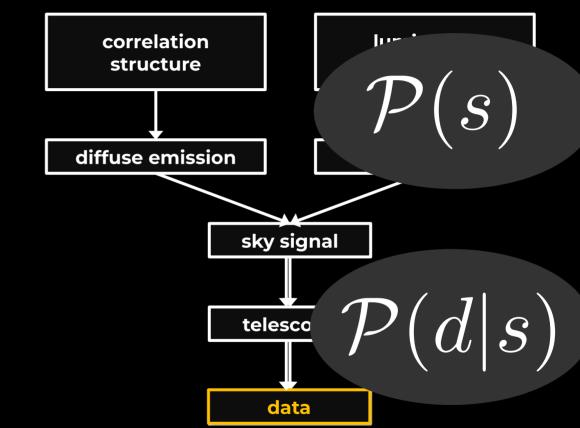




= inference

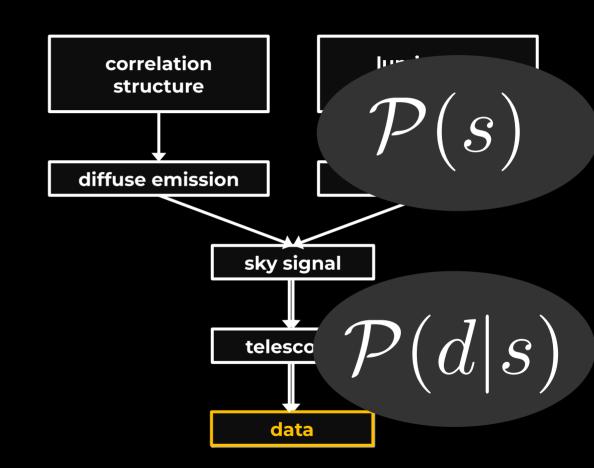
$\mathcal{P}(s|d)$

back propagation



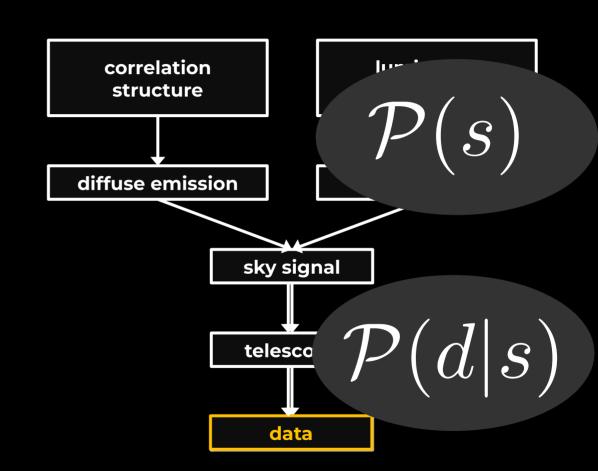
$\mathcal{P}(s|d)$

back propagation



$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$

ack propagation

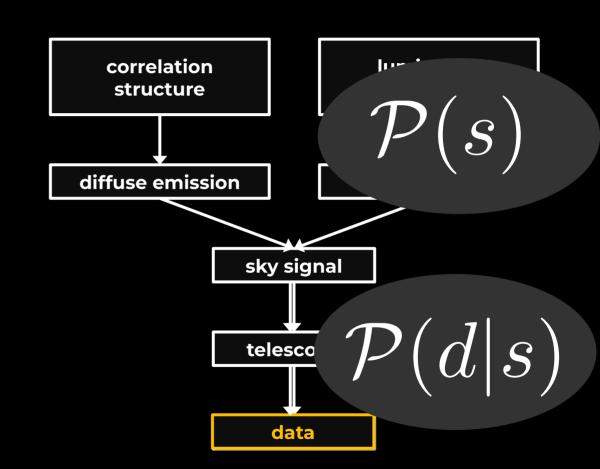


$$s = f(\xi)$$

$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$

$$\mathcal{P}(\xi|d)$$

back propagation

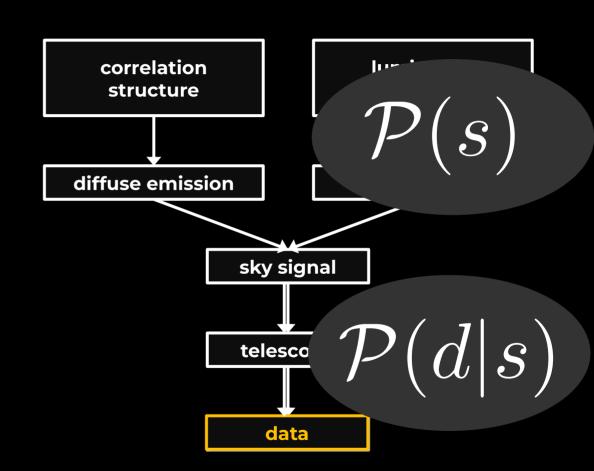


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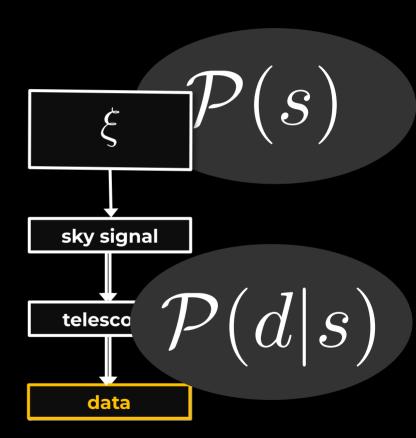
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$$\mathcal{P}(\xi|d)$$



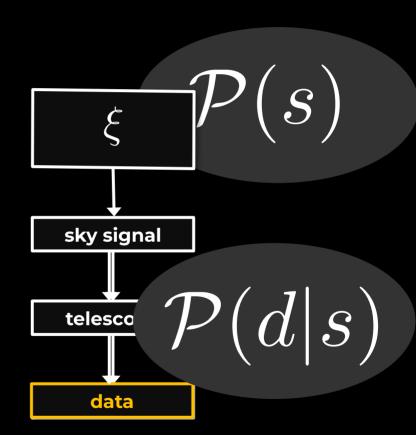
back propagation



$$s = f(\xi)$$

$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$

$$\mathcal{P}(\xi|d) \approx \mathcal{G}(\xi - \overline{\xi}, [\mathbb{1} + \mathcal{M}_{d|\overline{\xi}}]^{-1})$$

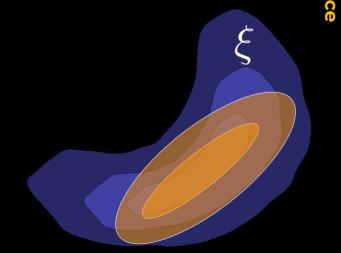


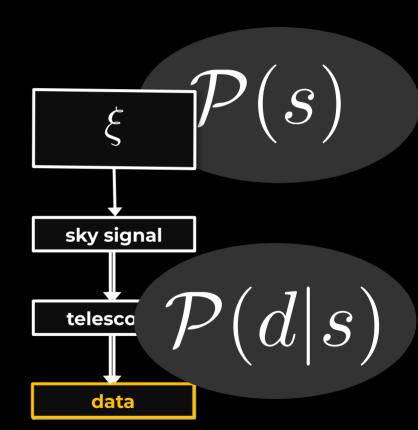
$$s = f(\xi)$$

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ack propagation





$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$

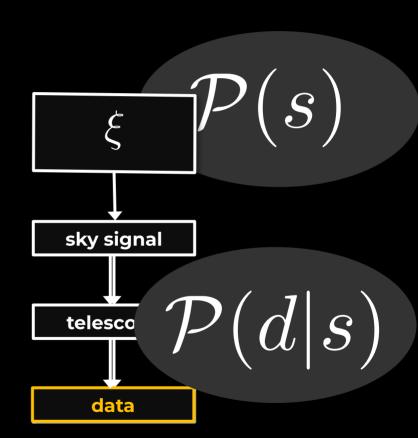
$$F(\zeta) = \mathcal{G}(\zeta, \mathbf{n})$$

$$\mathcal{P}(\xi|d) \approx \mathcal{G}(\xi - \overline{\xi}, [\mathbb{1} + \mathcal{M}_{d|\overline{\xi}}]^{-1})$$

$$\mathcal{P}(\xi|d) \approx \mathcal{G}(\xi - \xi, [1 + \mathcal{M}_{d|\overline{\xi}}]^{-1})$$

$$\mathcal{M}_{d|\overline{\xi}} = \left\langle \frac{\partial \mathcal{H}(d, \xi)}{\partial \xi} \frac{\partial \mathcal{H}(d, \xi)}{\partial \xi}^{\dagger} \right\rangle_{d|\overline{\xi}}$$

$$\mathcal{H}(d,\xi) = -\ln \mathcal{P}(d,\xi)$$



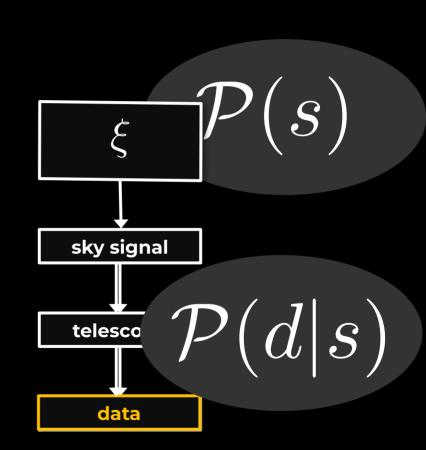


$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$

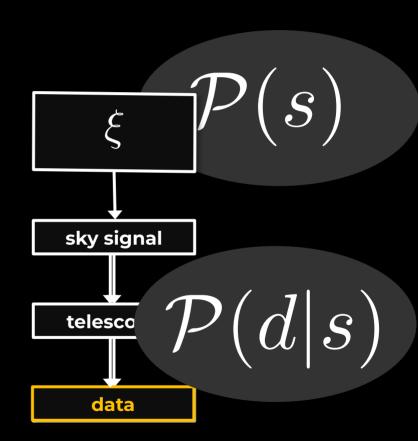
$$\mathcal{P}(\xi|d) \approx \mathcal{G}(\xi - \overline{\xi}, [\mathbb{1} + \mathcal{M}_{d|\overline{\xi}}]^{-1})$$

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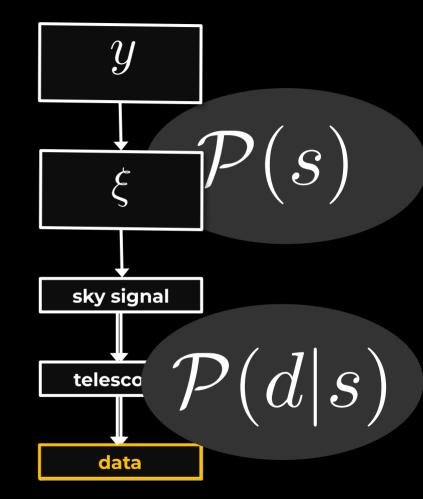
$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$



$\mathcal{P}(s|d)$

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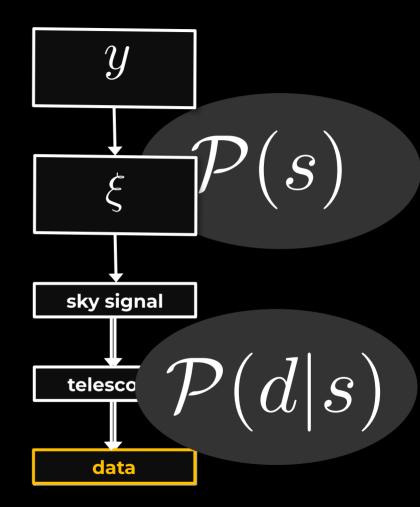
oack propagation



$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 1)$$

$$\xi = g^{-1}(y) \quad \mathcal{P}(y|d) \approx \mathcal{G}(y, 1)$$

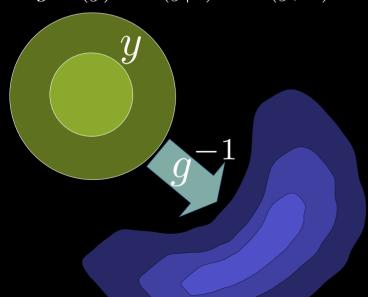




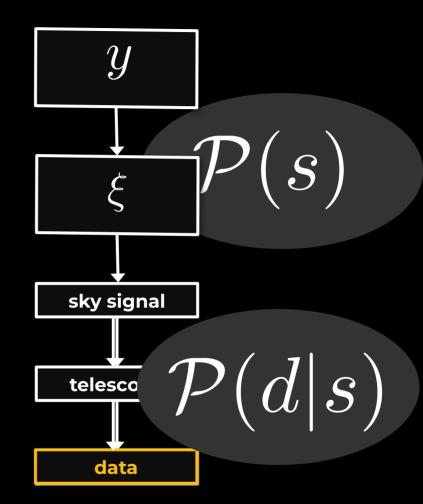


$$\mathcal{P}(\xi) = \mathcal{G}(\xi, 11)$$

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pack propagation



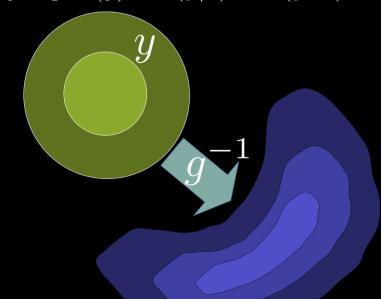
Geometric Variational Inference



$$s = f(\xi)$$

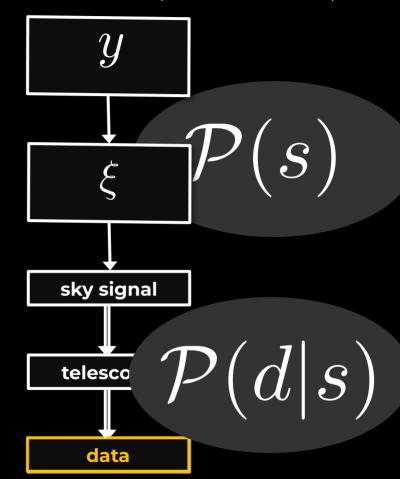
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back propa

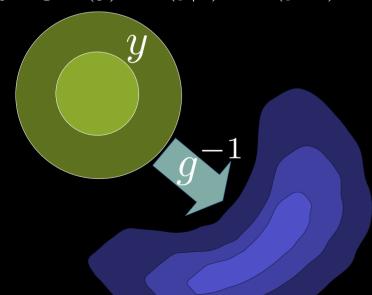
Frank, Leike, & Enßlin (arXiv:2105.10470)



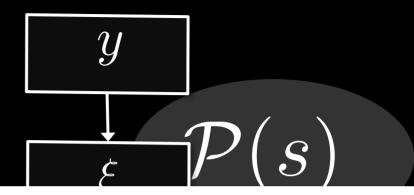
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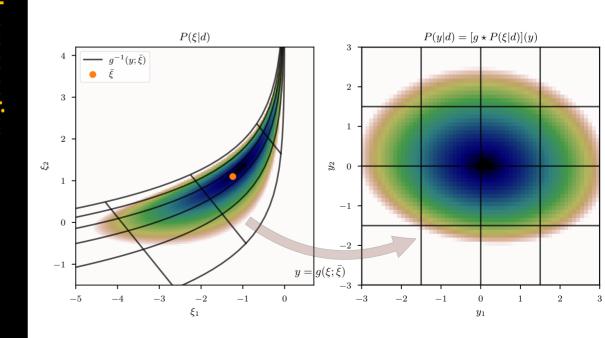
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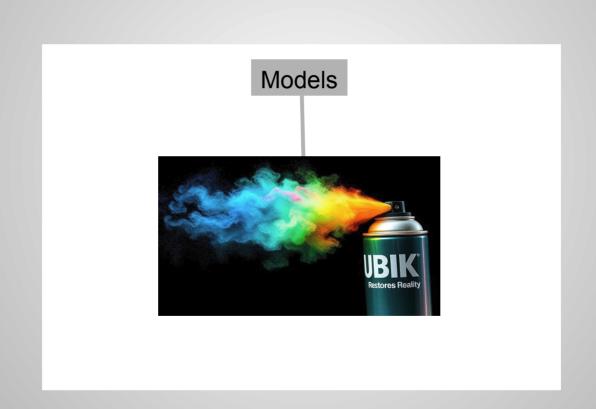


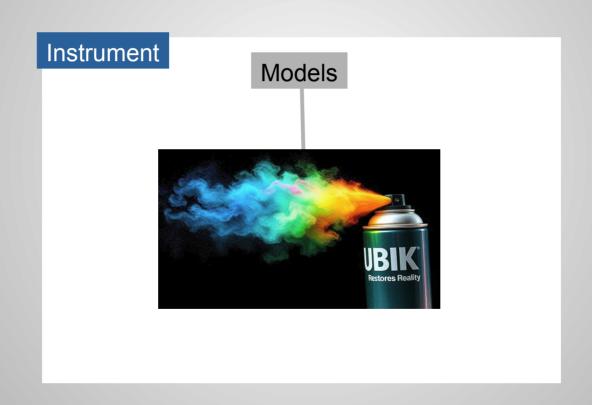
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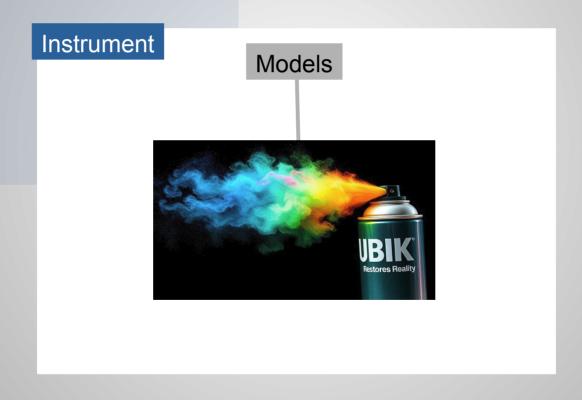








LIKELIHOOD MODEL



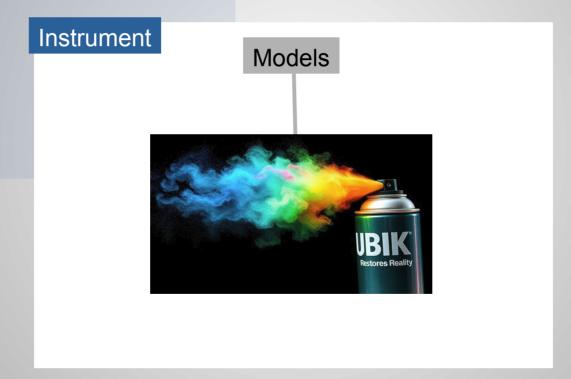
Gauss

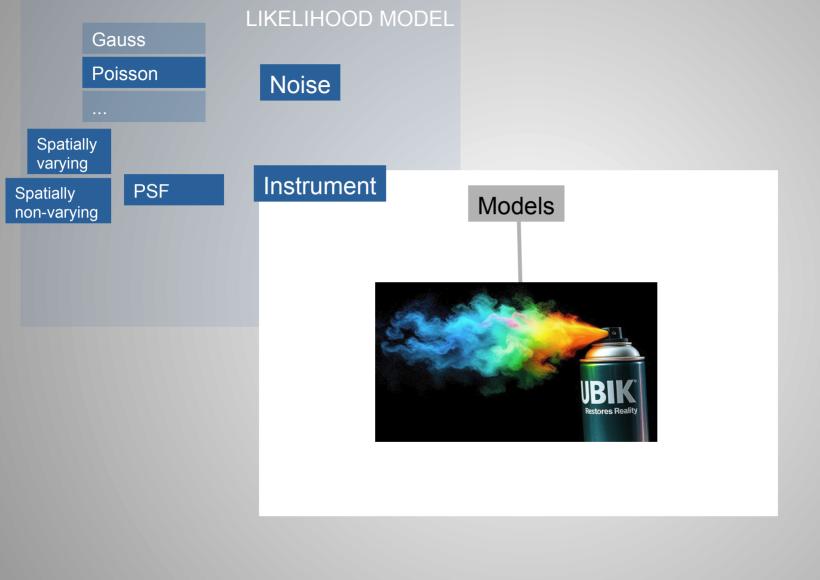
Poisson

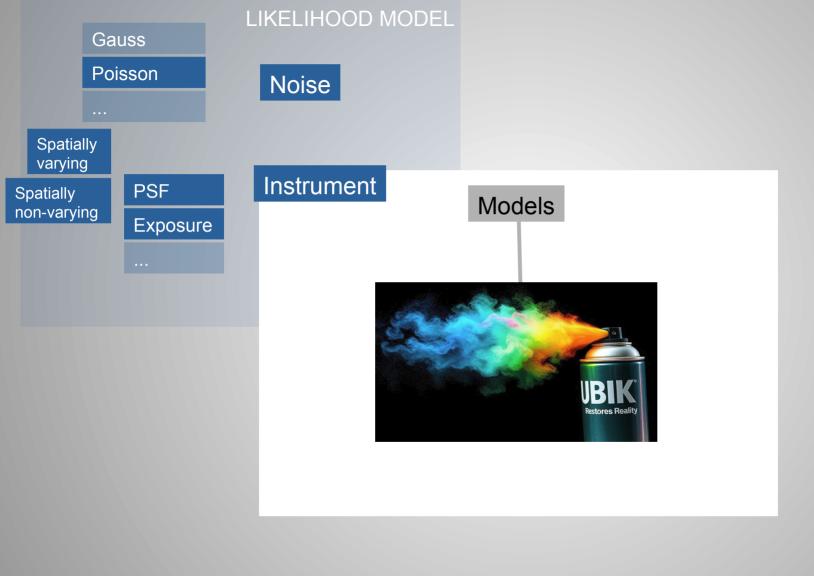
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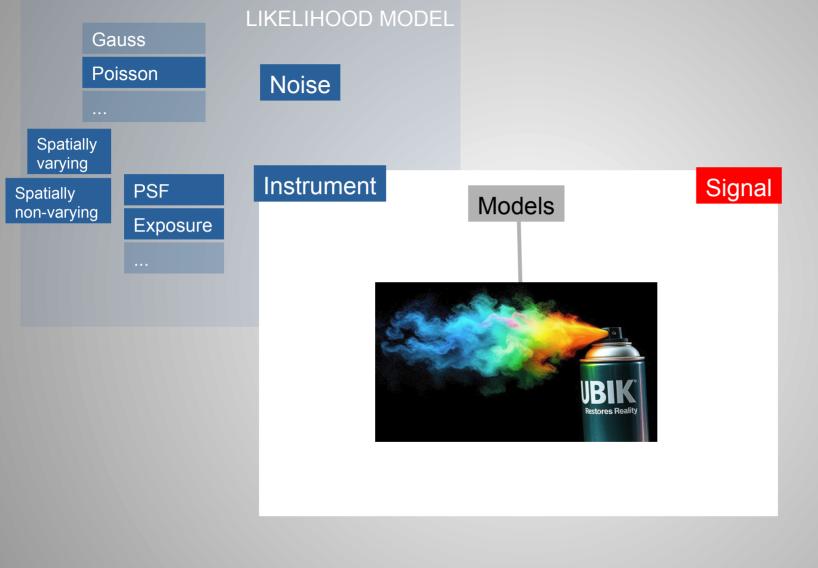
LIKELIHOOD MODEL

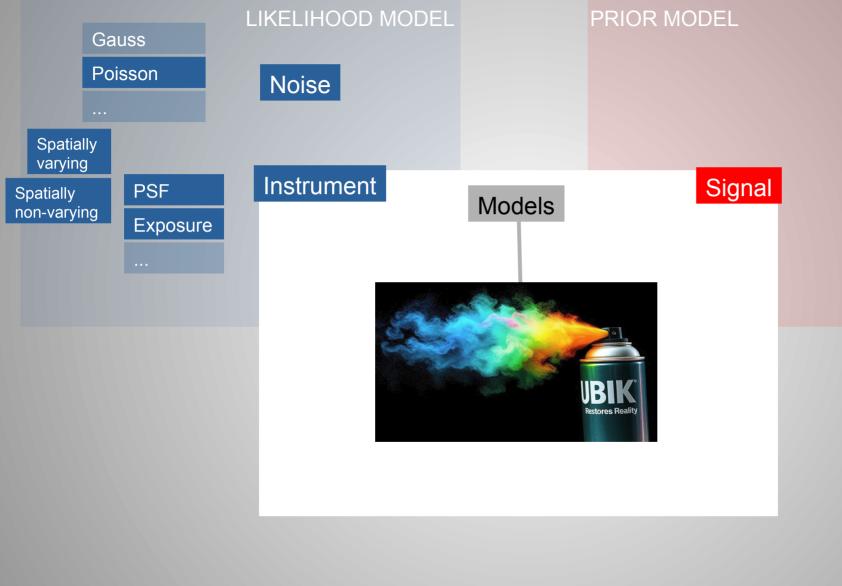
Noise

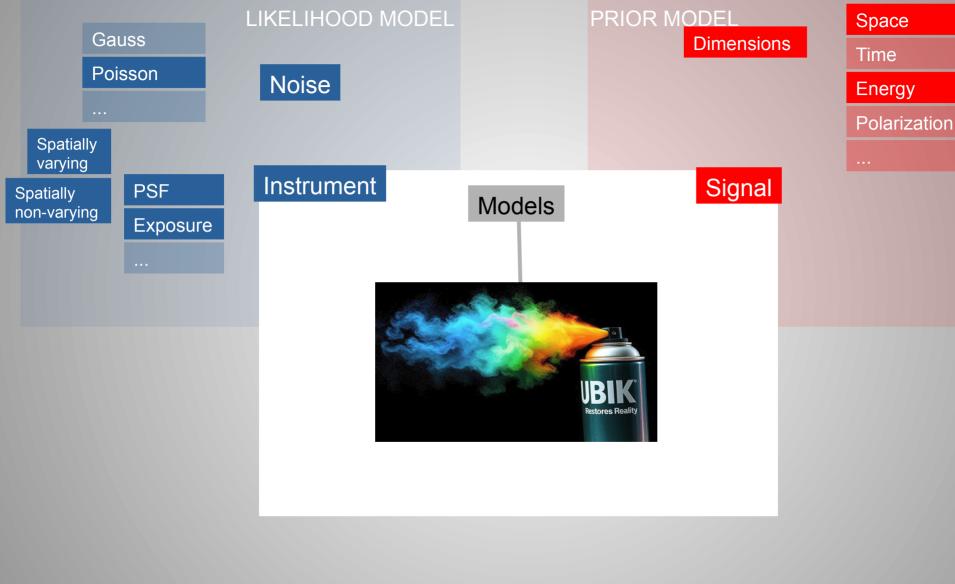


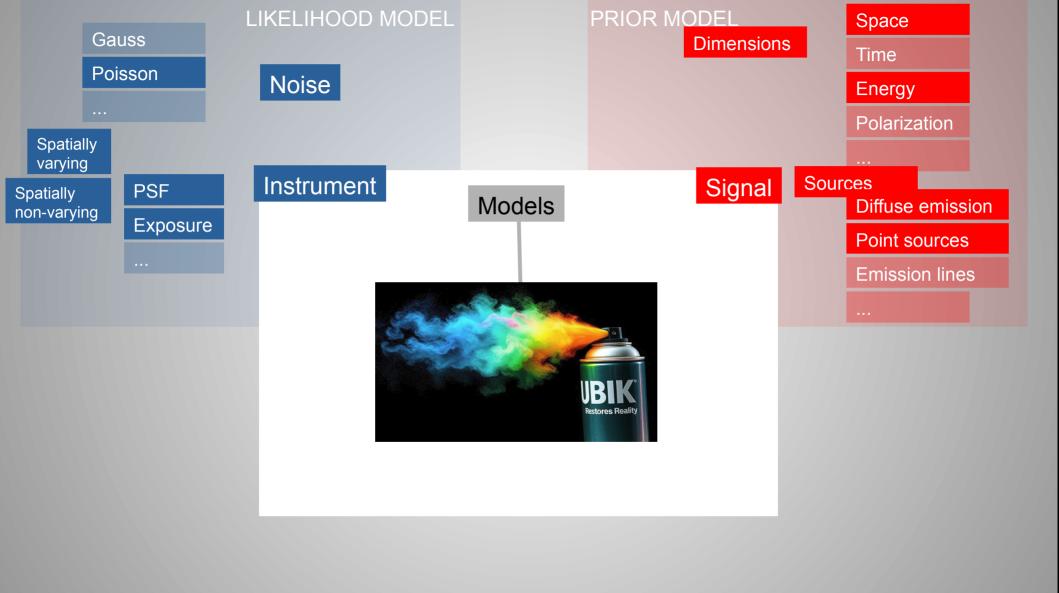


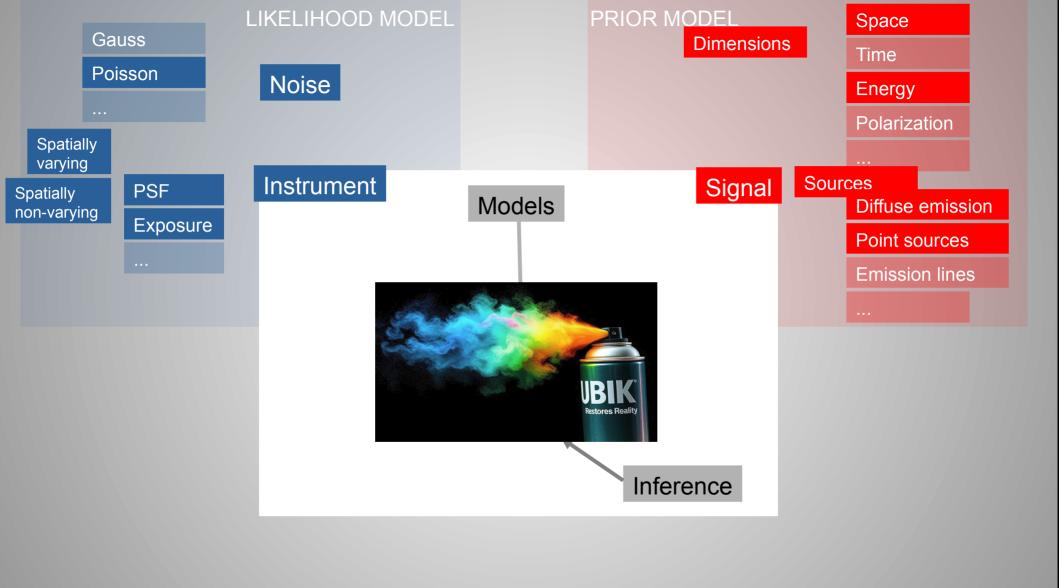


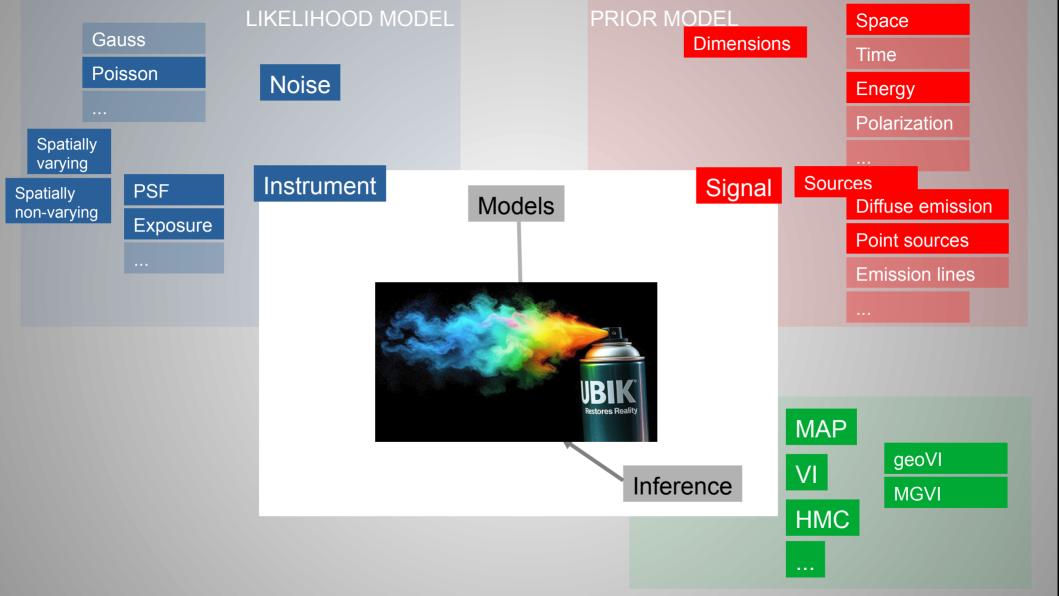


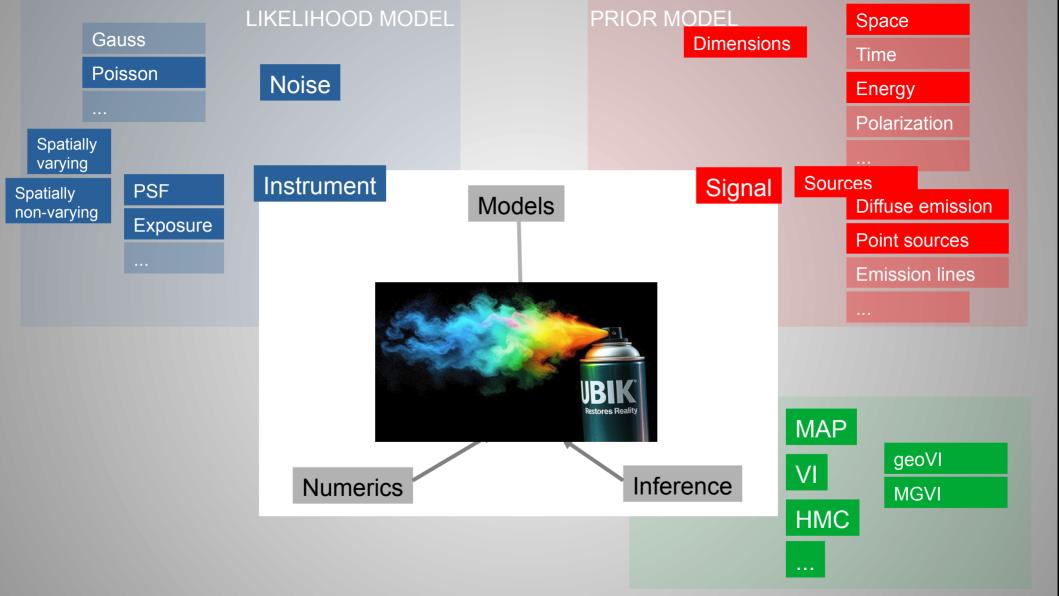


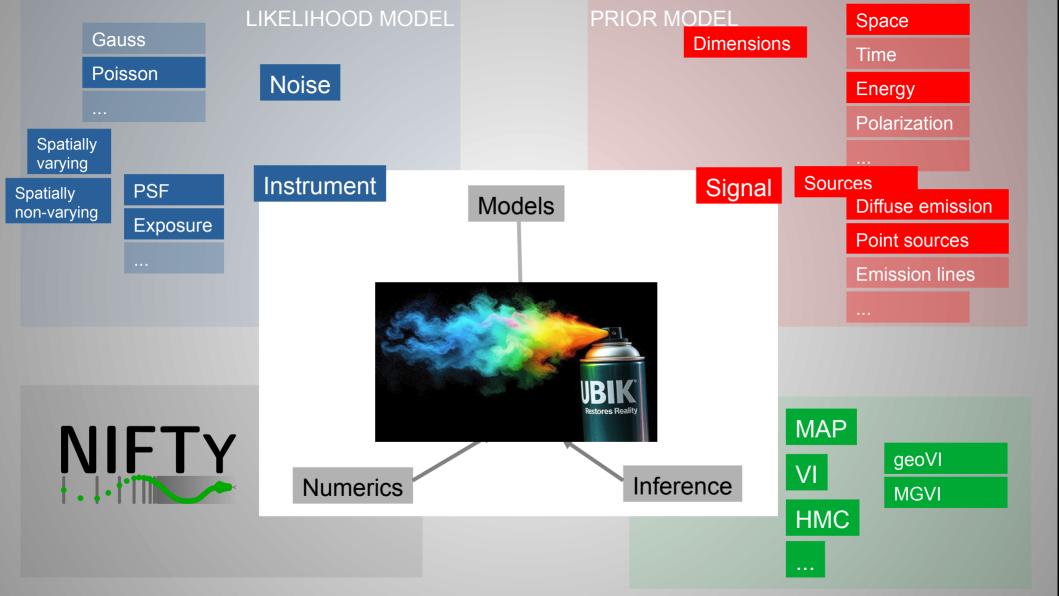


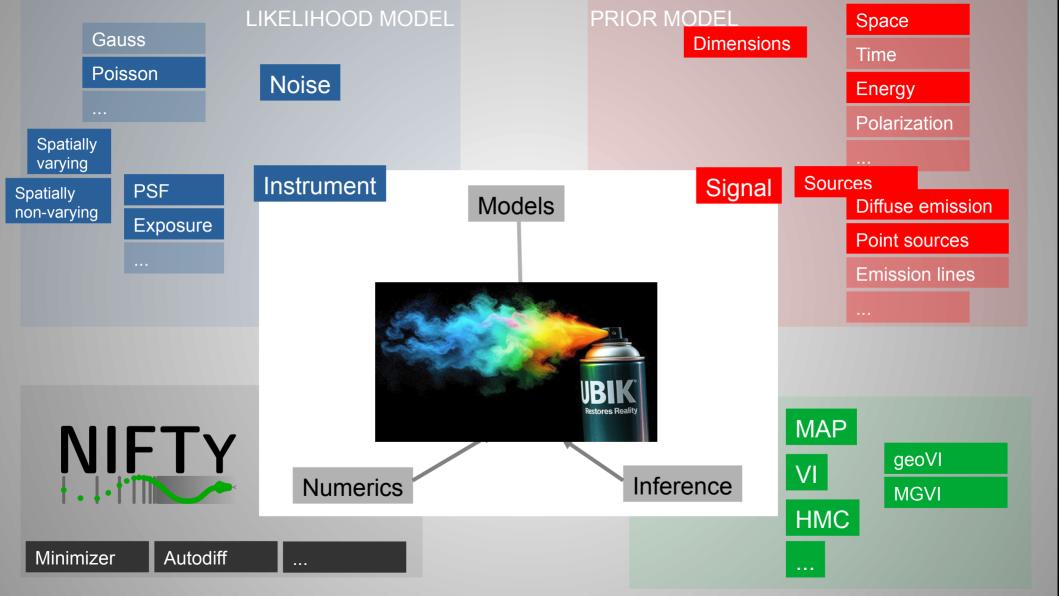


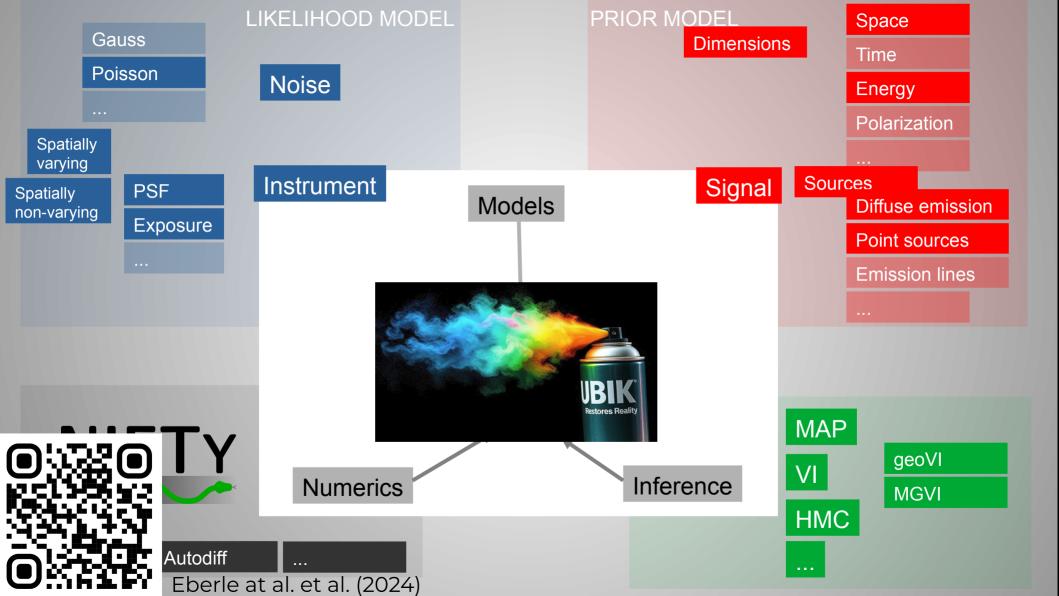






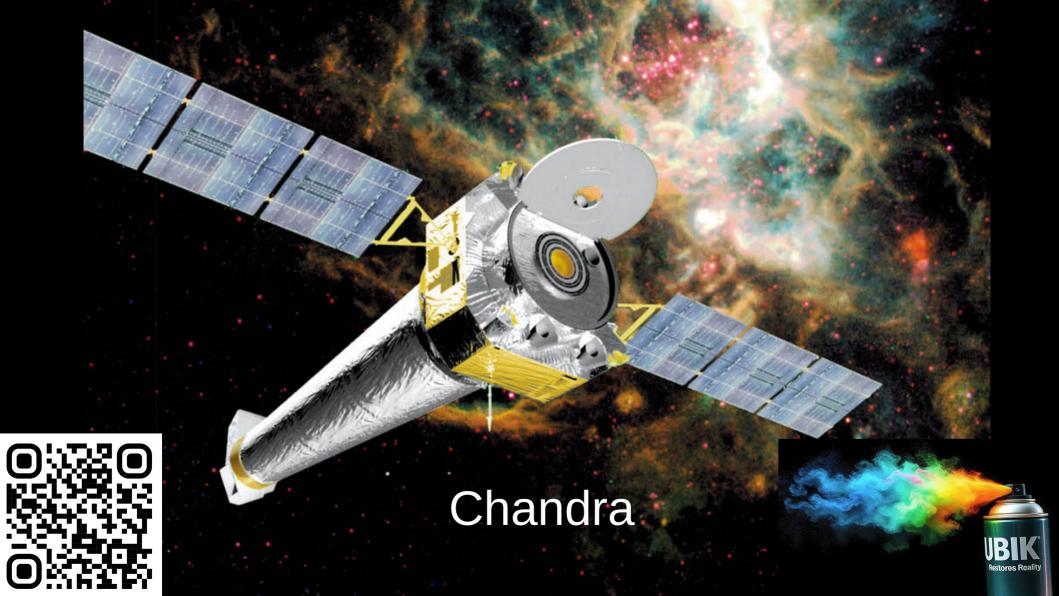


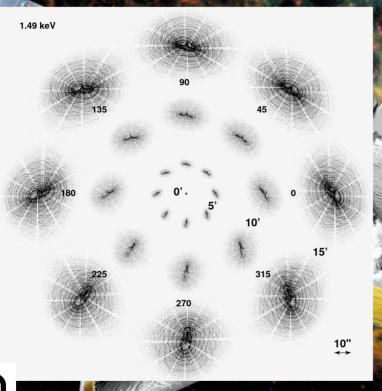










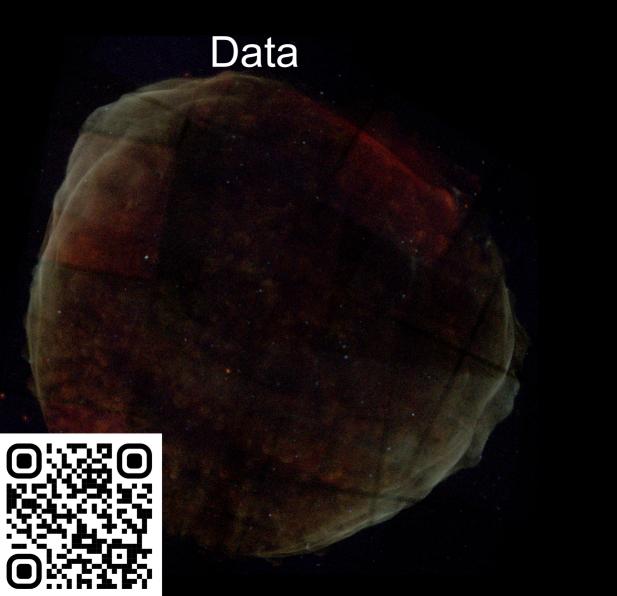




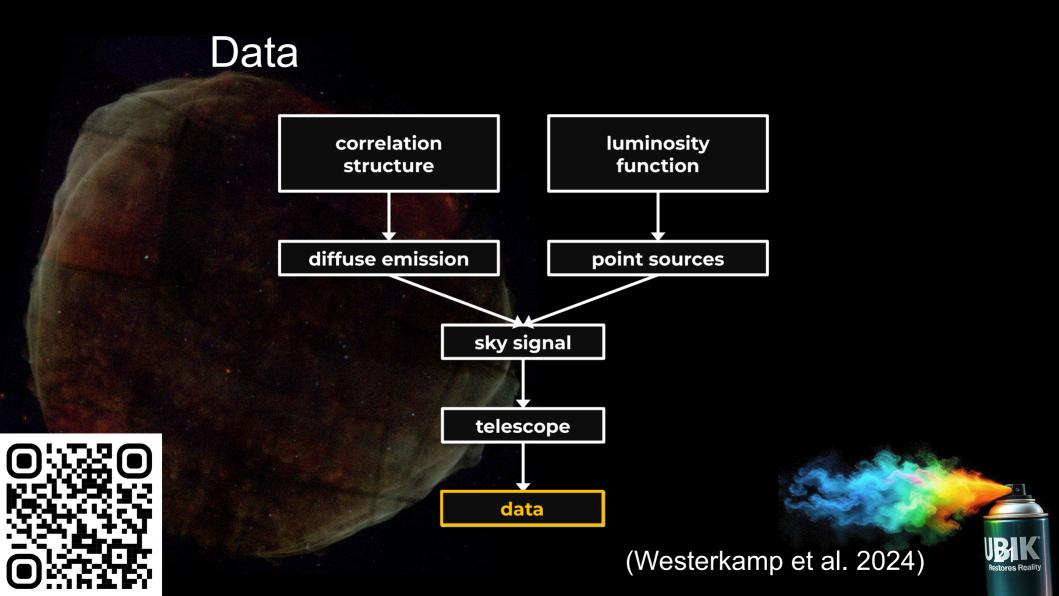


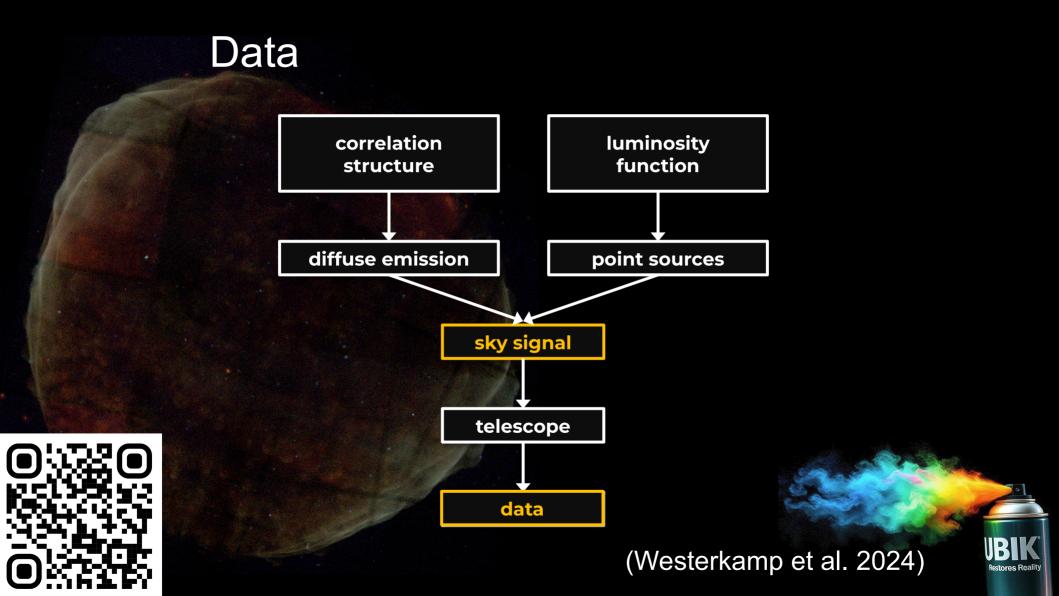
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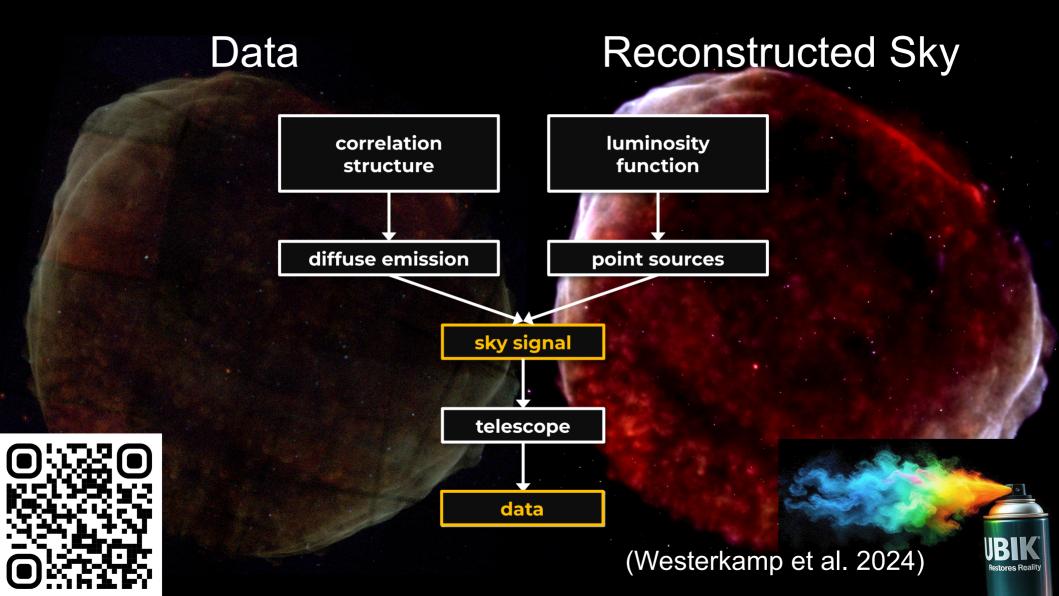


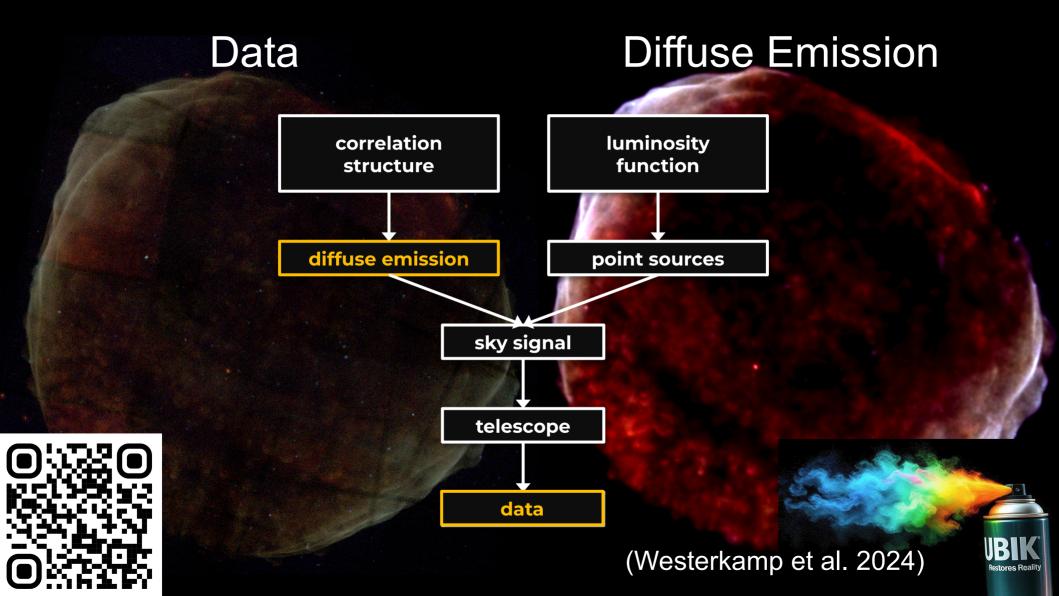


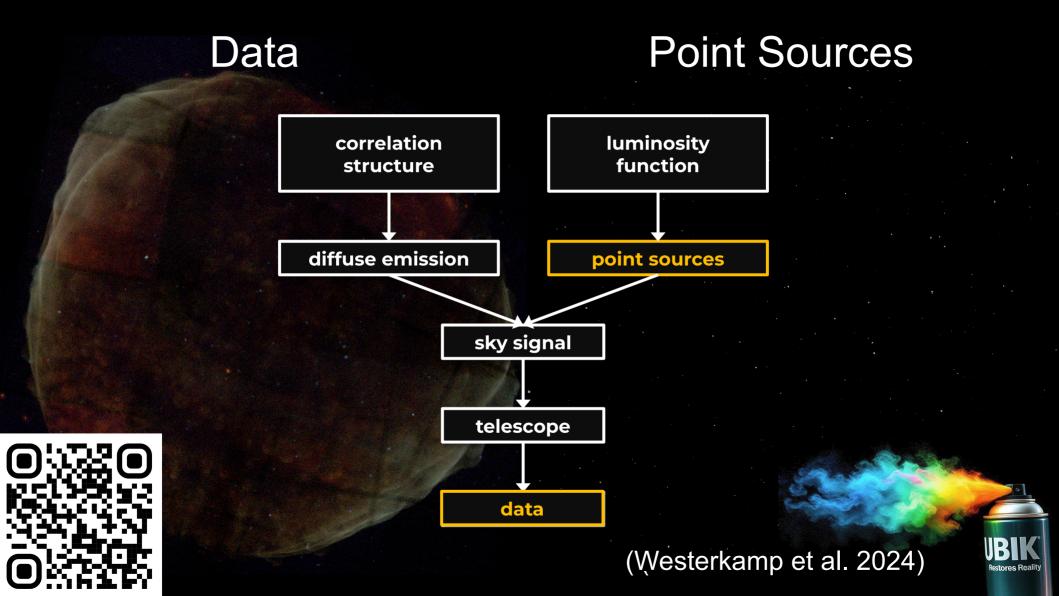




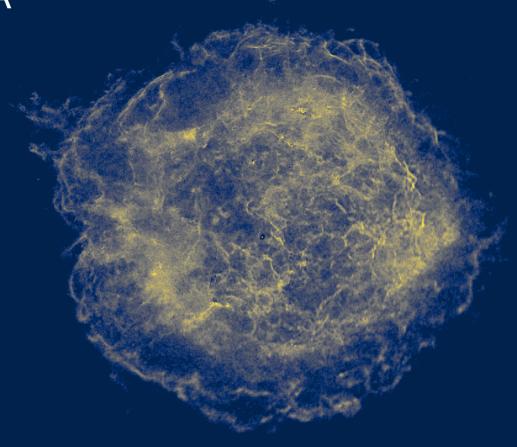






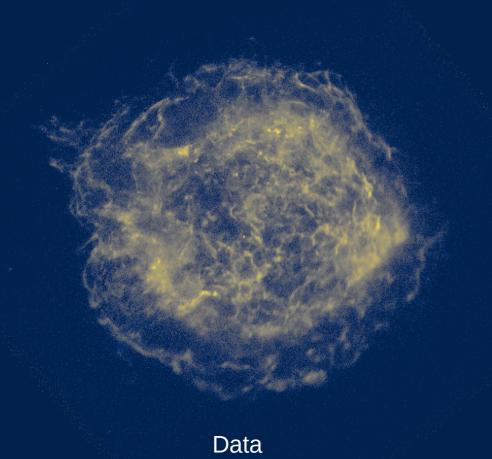


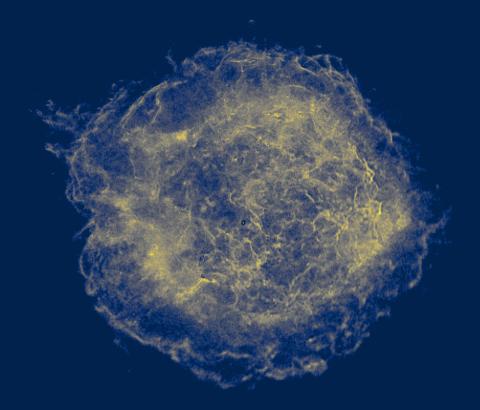
Cassiopeia A Data



Reconstruction

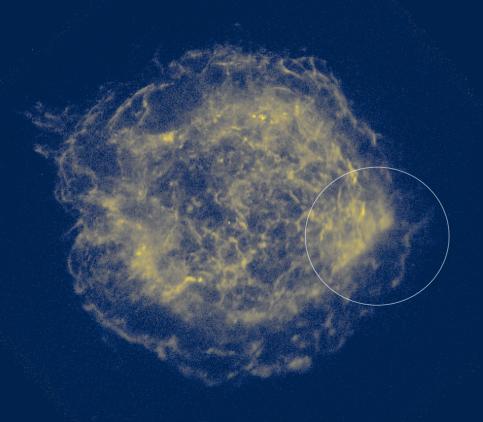
Eberle et al. in preparation

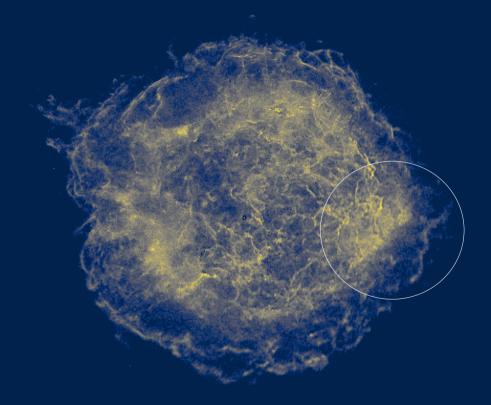




Reconstruction

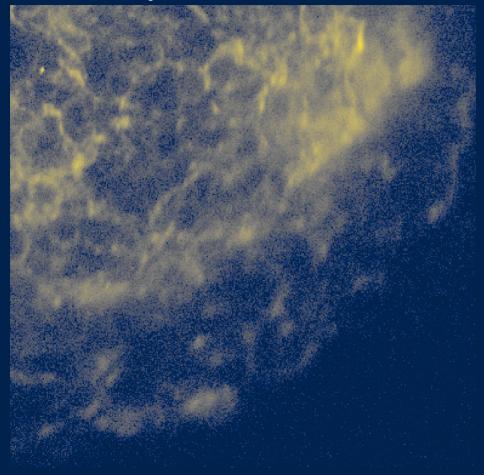
Eberle et al. in preparation

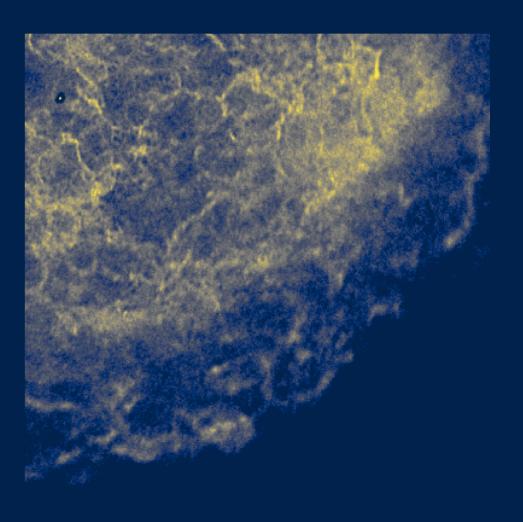




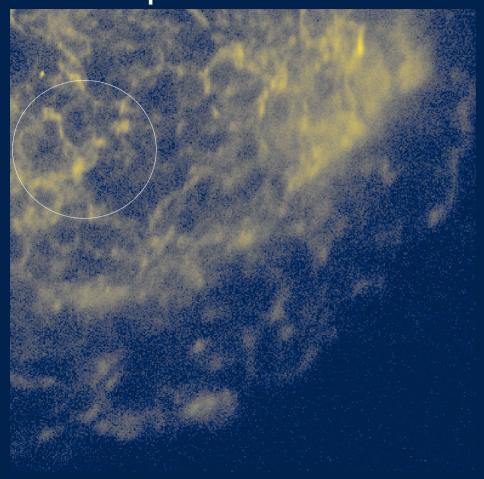
Data

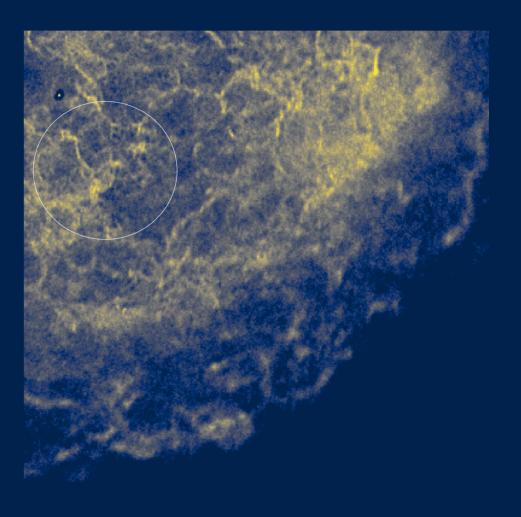
Reconstruction

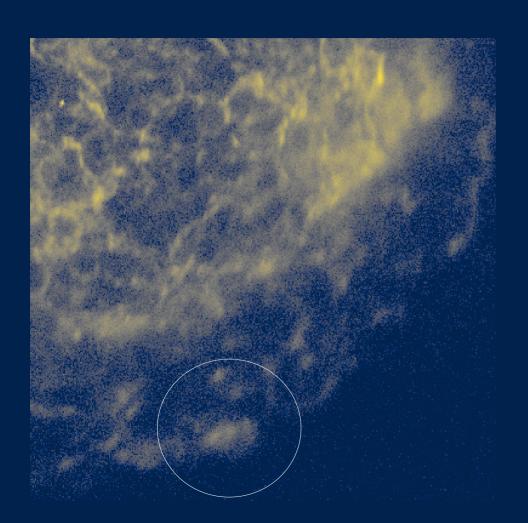


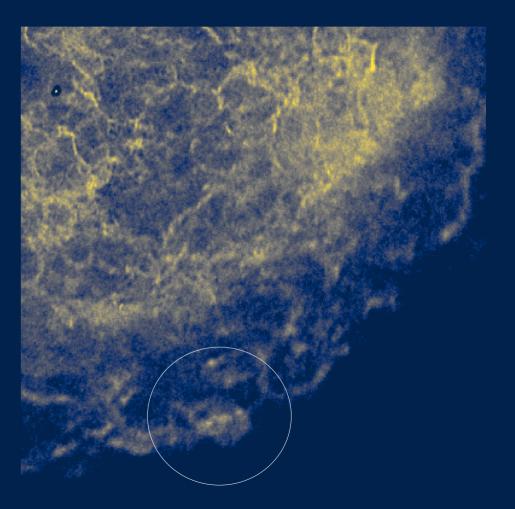


Cassiopeia A

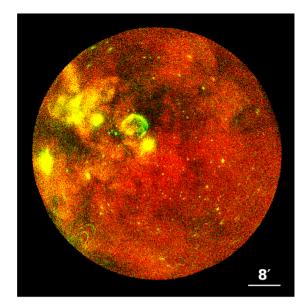




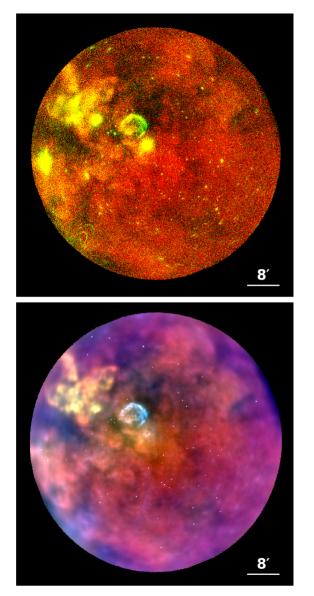






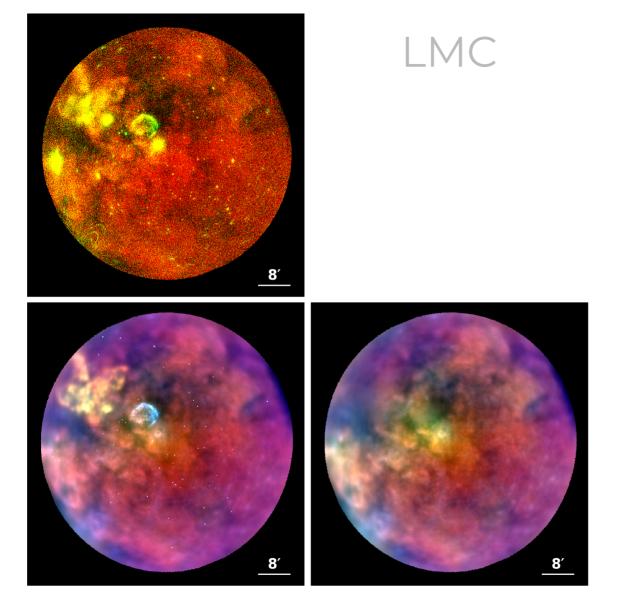


LMC

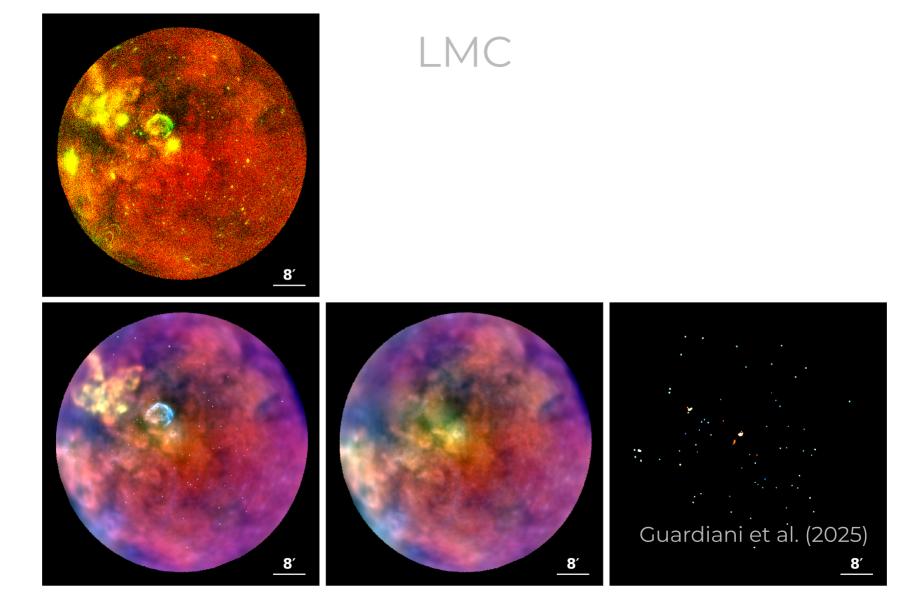


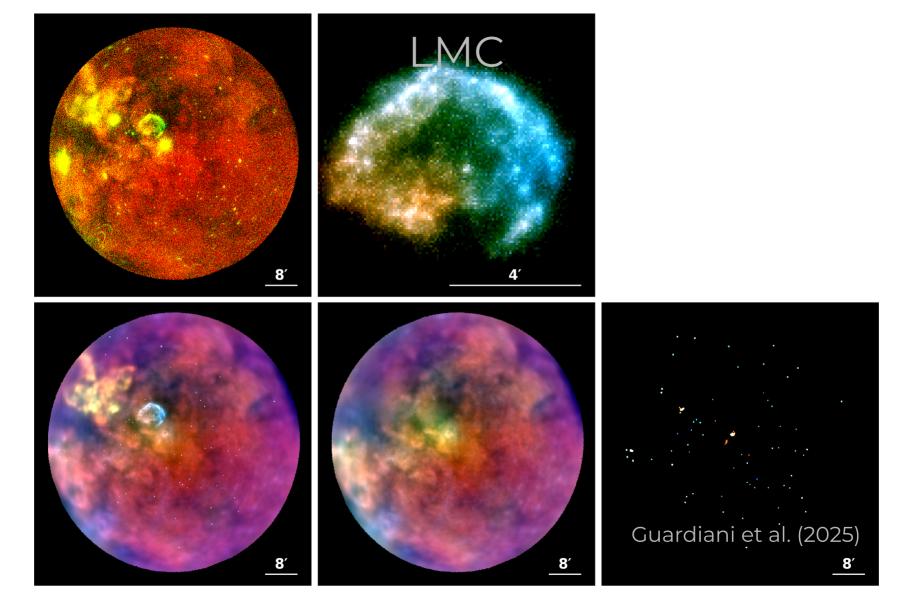
LMC

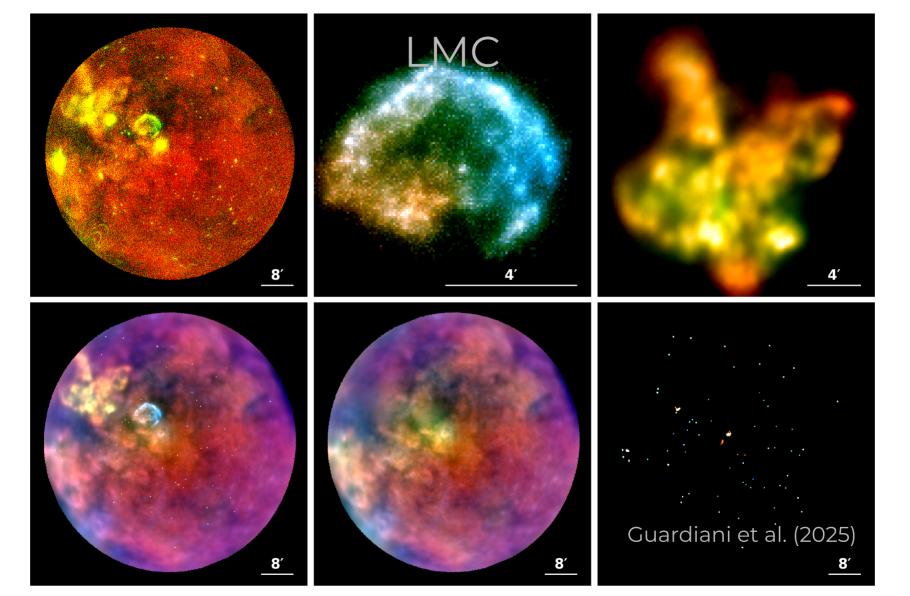
Guardiani et al. (2025)

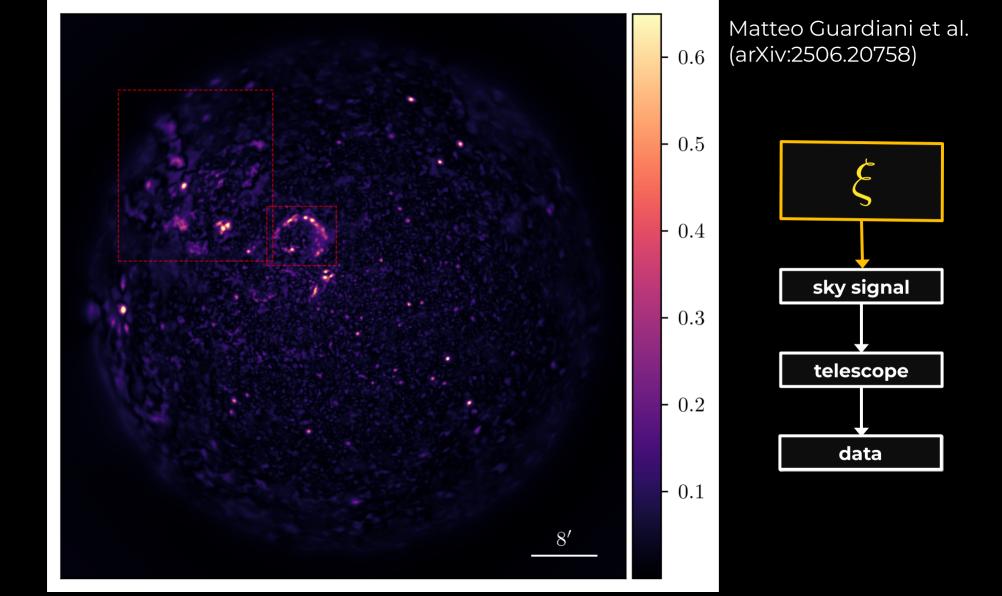


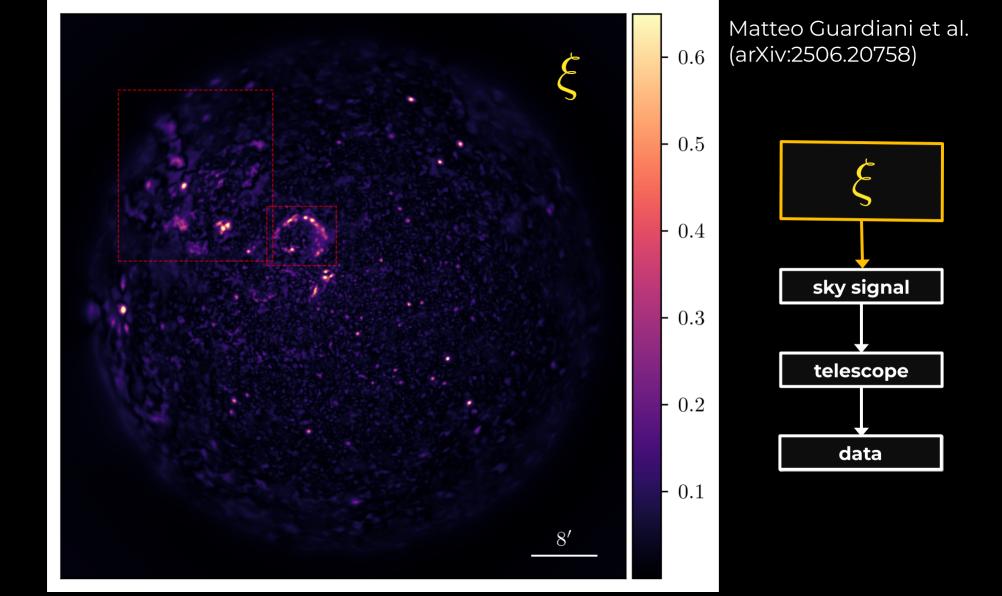
Guardiani et al. (2025)



















UBIK

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